

ELG2316

Physics of the PN (Real) junction diode

Part I

The Intrinsic Silicon as a
Semiconductor

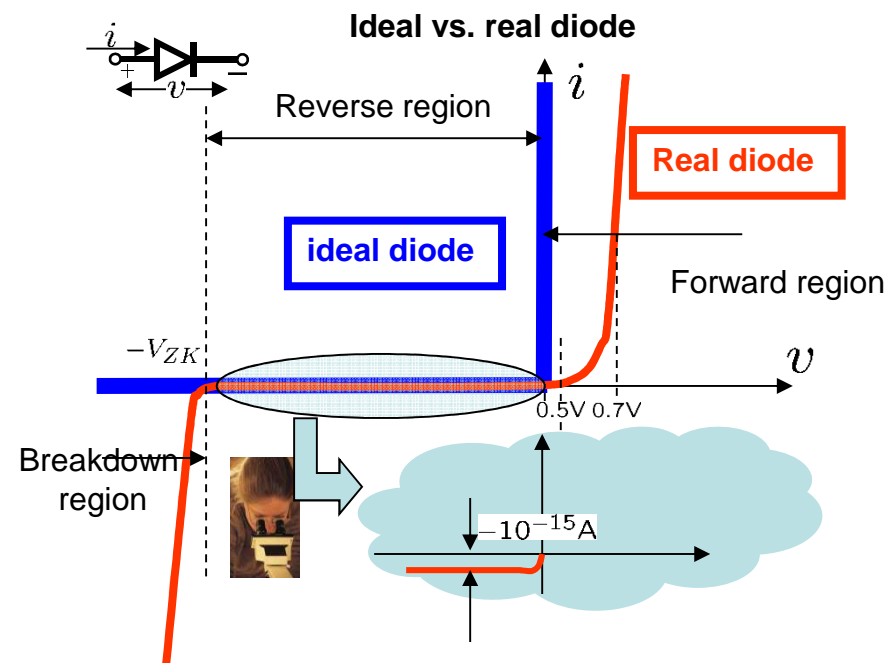
Introduction

- Two kinds of semiconductors:
- Single-element such as silicon and germanium; useful for common diodes; germanium came first in applications; then recently silicon.
- Compound, like gallium arsenide; useful for light-emitting diodes (involves light).

We need to address this question?

Why? An explanation for the behavior of the real diode.

We need an explanation for this behavior

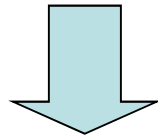


We need to address this question?

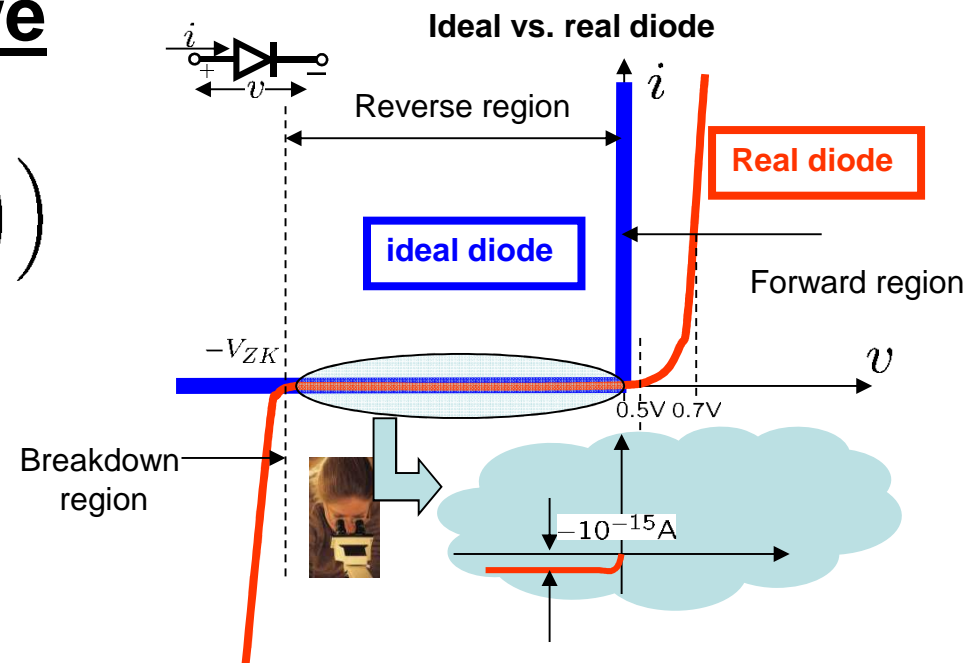
Why? An explanation for the behavior of the real diode.

We also need to derive the equation we used before

$$i = I_S \left(\exp \left(\frac{v}{nV_T} - 1 \right) \right)$$



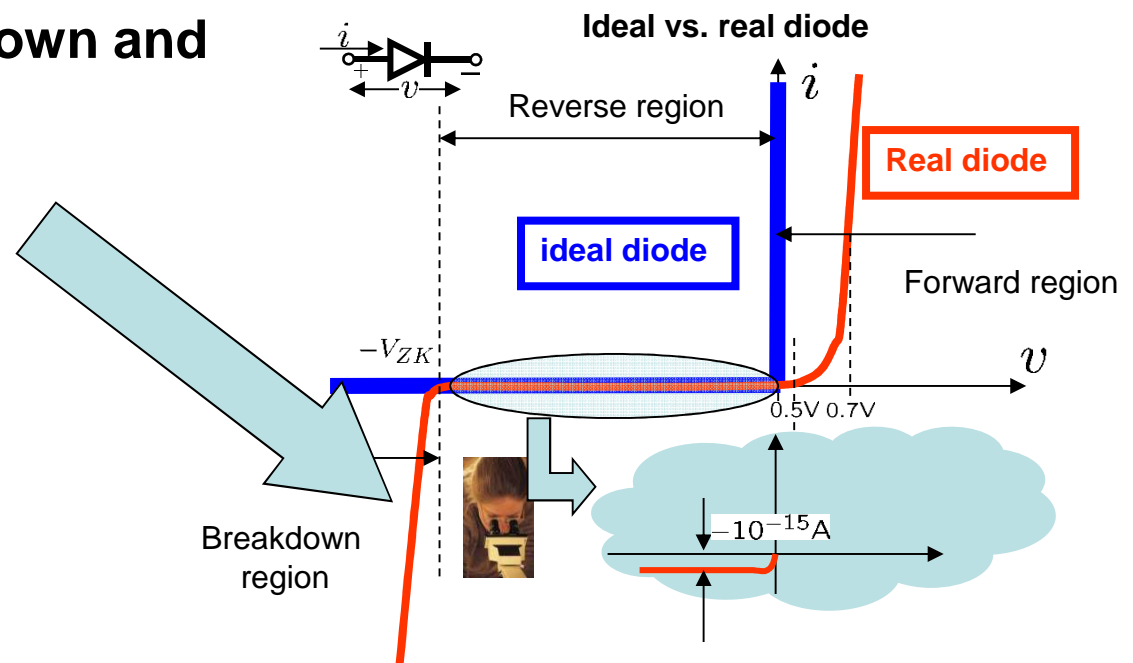
In the forward and reverse regions



We need to address this question?

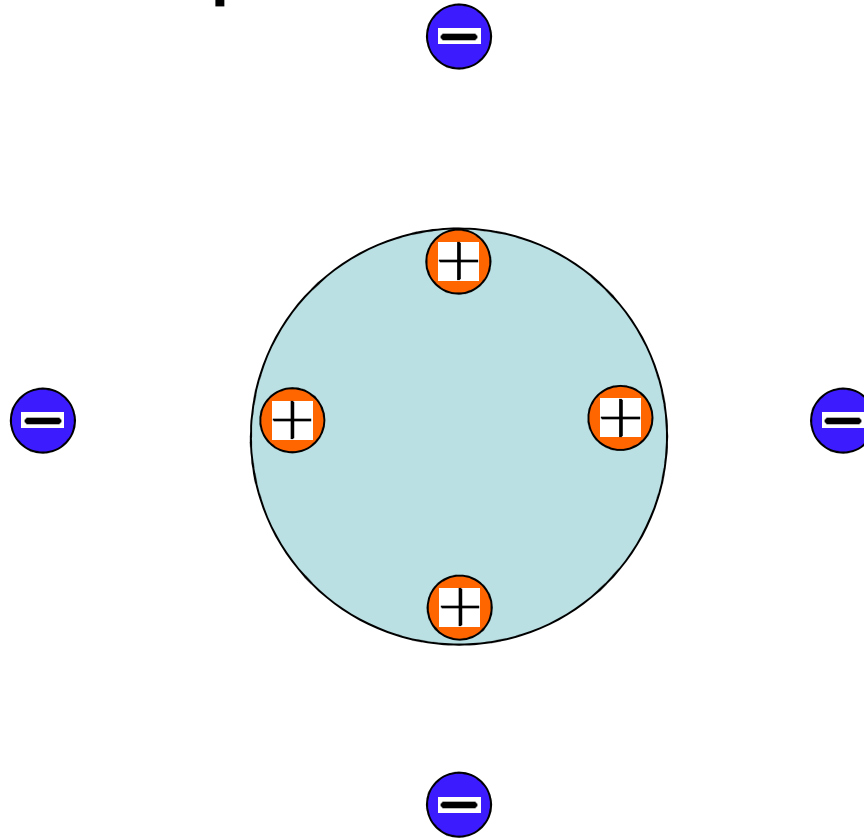
Why? An explanation for the behavior of the real diode.

We also need to
an explanation for the
phenomenon of break down and
how it happens



The Silicon ATOM

Has four electrons in the valence band,
and four protons in the nucleus



Covalent Bond

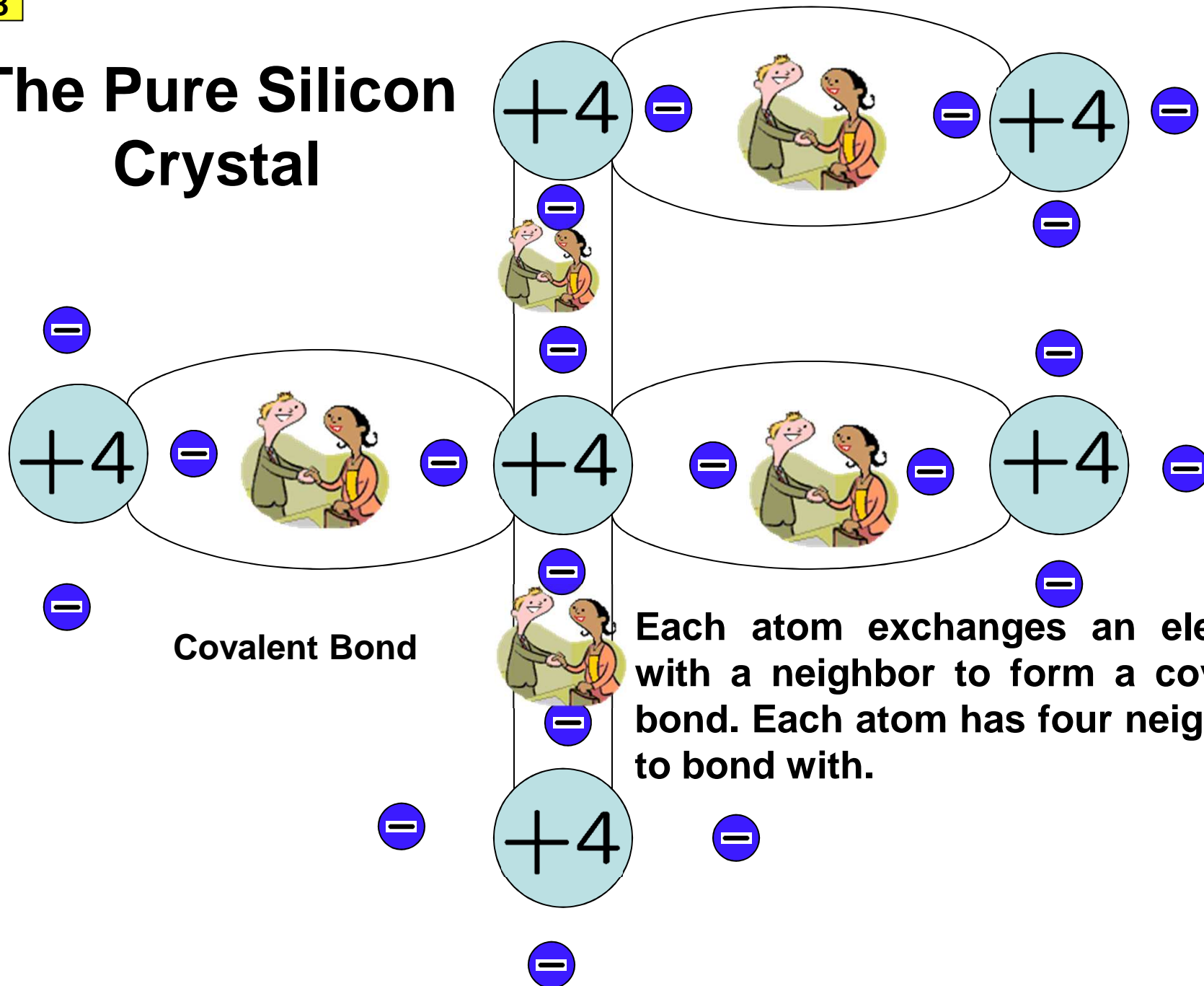
An Important Question

Is the Silicon atom
electrically neutral?

Is
(+ve) Charges = (-ve) Charges?

YES

The Pure Silicon Crystal



An Important Question

Is the PURE Silicon Crystal
electrically neutral?

Is
(+ve) Charges = (-ve) Charges?

YES

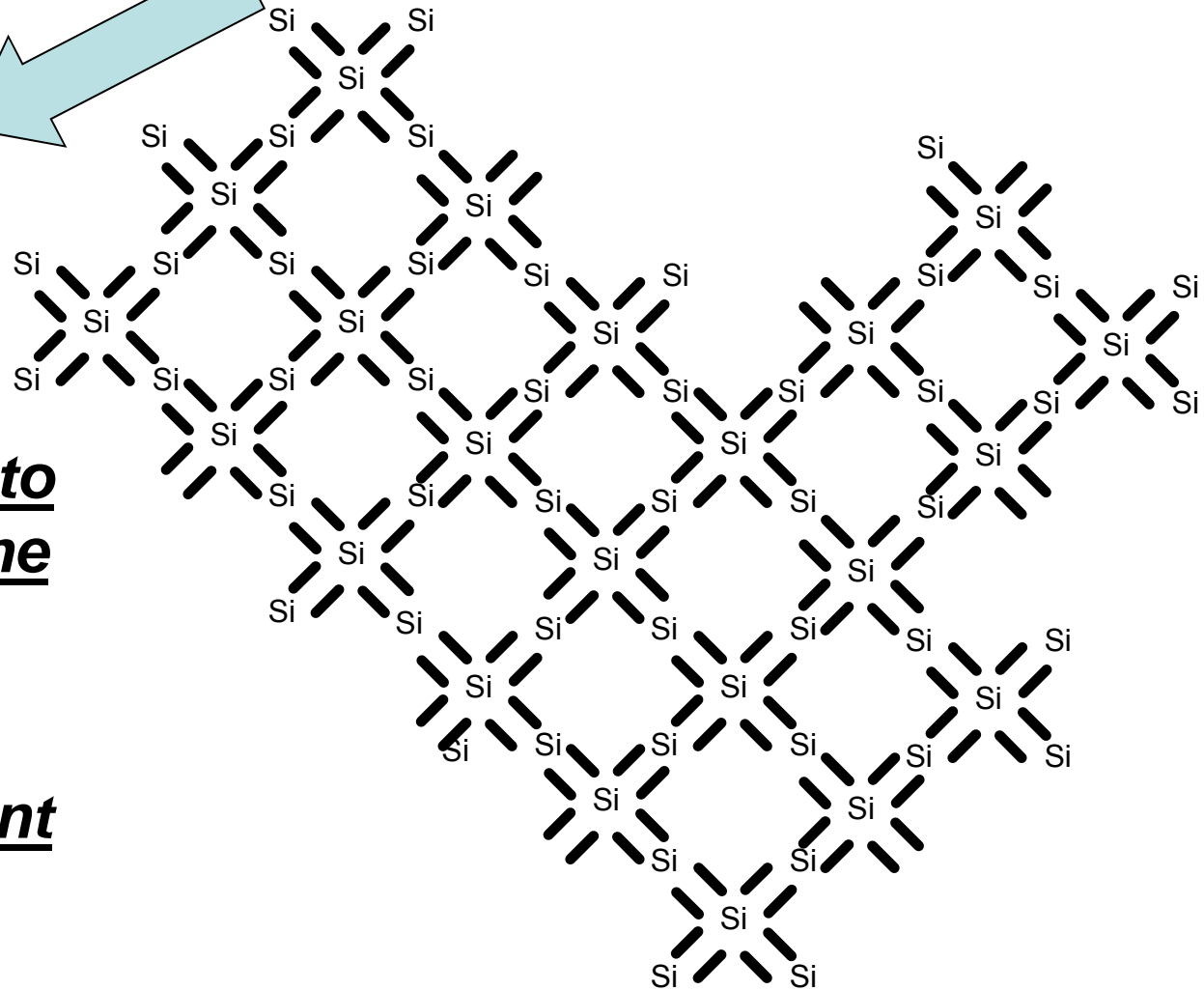
**The Pure Silicon
Crystal**

**At absolute Zero
Temperature 0K = -273°C**

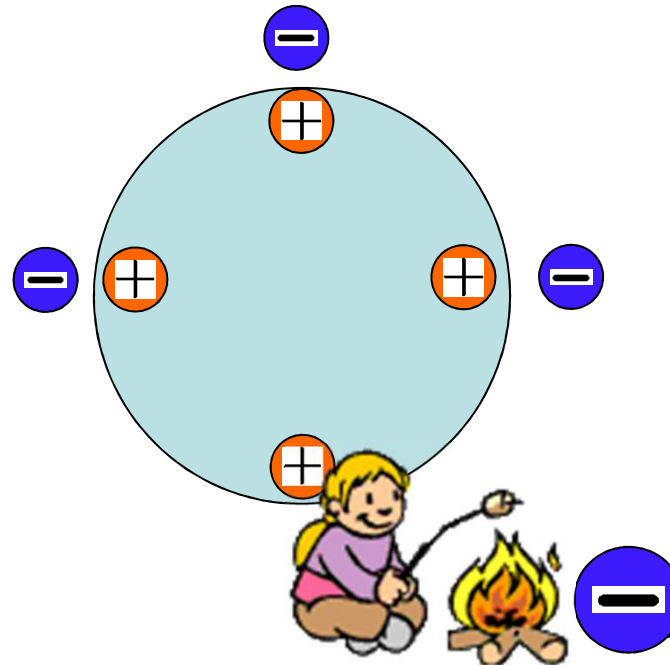
**All electrons
remain in their
covalent bonds.**

**No free electrons to
move around in the
crystal**

**No electric current
conduction**



Effect of Ionization at high Temp

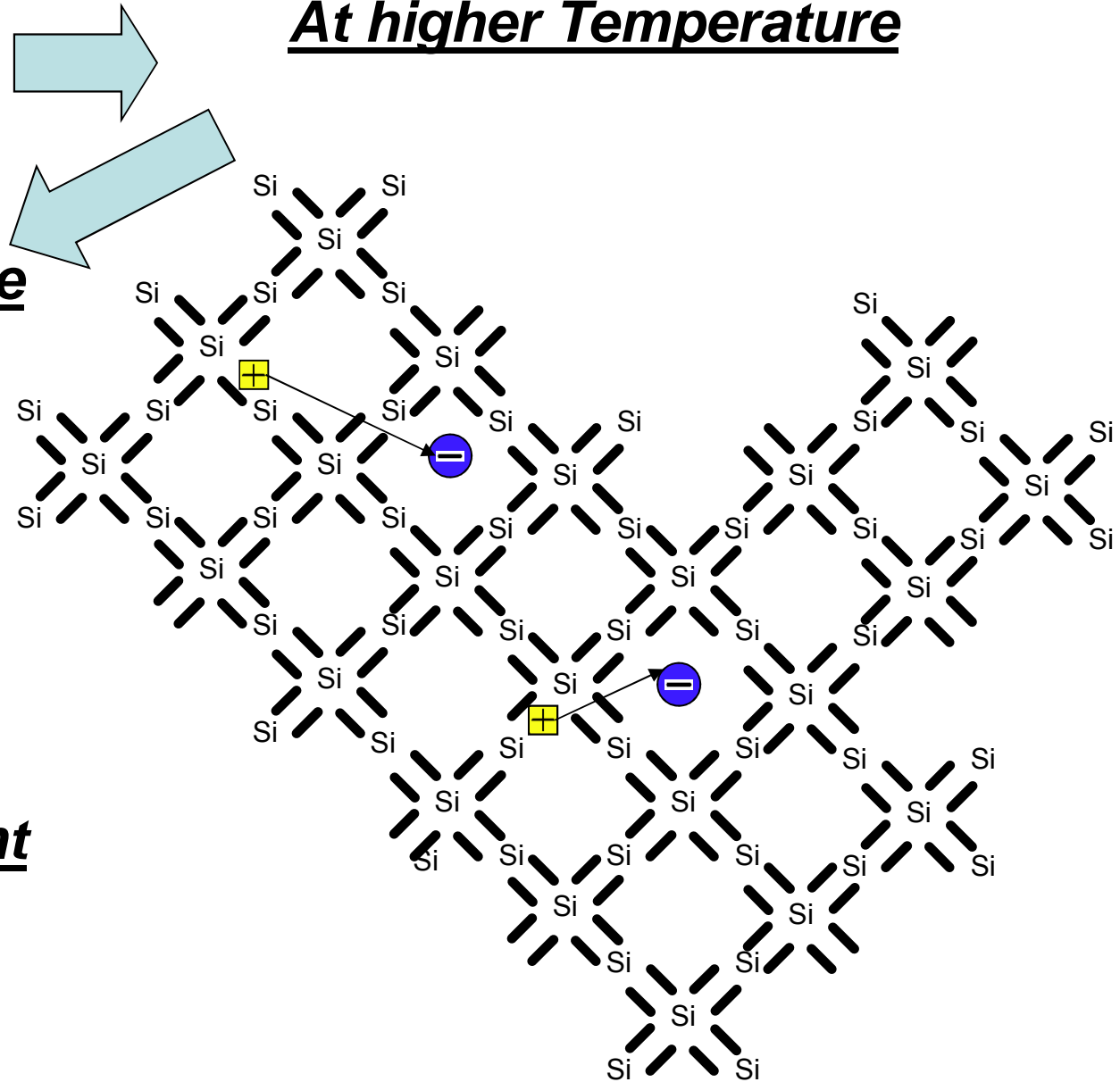


At higher temperatures, thermal energy can cause an electron to leave its covalent bond

The Pure Silicon
Crystal

At higher Temperature

Some Electrons are
freed \ominus



They leave behind
a hole \oplus

Conduction Current
MAY
occur

An Important Question

Is the PURE Silicon Crystal
electrically neutral
Under ionization?

Is
(+ve) Charges = (-ve) Charges?

YES

Another Important Question

How many electrons/ holes appear due to ionization?

The Pure Silicon
Crystal

At higher Temperature

How many free
electrons/holes per
unit volume
(Density)?

In Pure Silicon (also known as Intrinsic Silicon)

Density of electrons
(electrons-per-unit-volume) = Density of holes
(holes-per-unit-volume)

$$n = p = n_i$$

⊖
⊕

The Pure Silicon
Crystal

At higher Temperature

How many free
electrons/holes per
unit volume
(Density)?

In Pure Silicon (also known as Intrinsic Silicon)

n_i depends
on

Minimum Energy
required to free an
electron

"The bandgap energy" E_g Joules(J)

The absolute
temperature

T

$$n_i = 5.2 \times 10^{15} T^{3/2} \exp \frac{-E_g}{2kT}$$

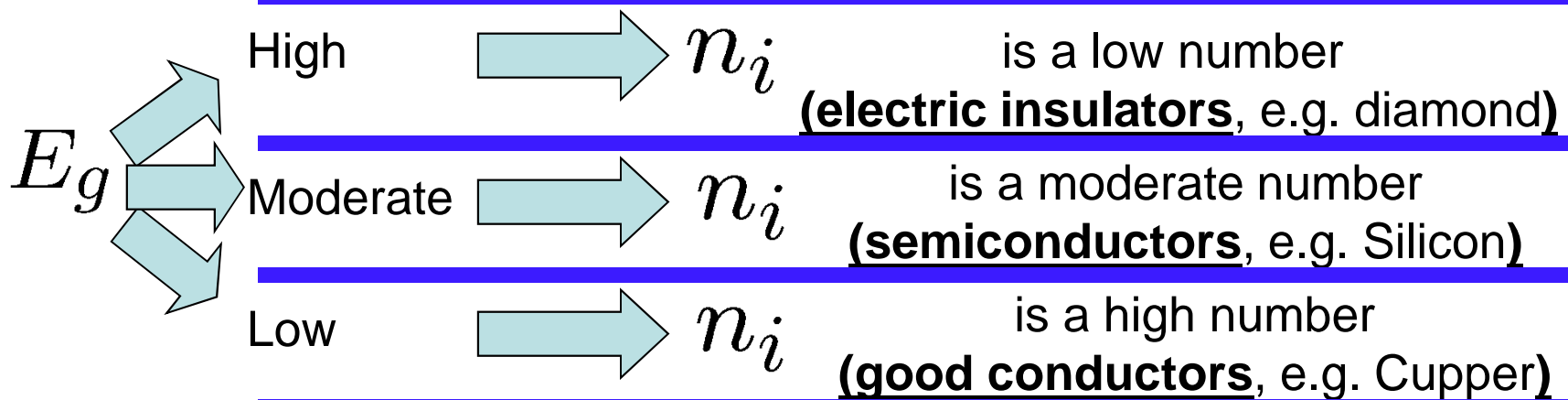
k The Boltzmann
constant J/K

The Pure Silicon
Crystal

At higher Temperature

How many free
electrons/holes per
unit volume
(Density)?

$$n_i = 5.2 \times 10^{15} T^{3/2} \exp \frac{-E_g}{2kT}$$



Another Important Question

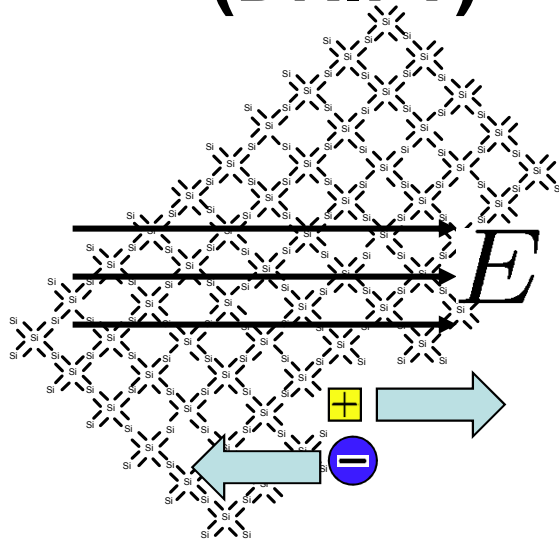
How does electric conduction happen?

There two mechanisms that cause electric conduction due to free charge.

Electric Conduction Mechanisms

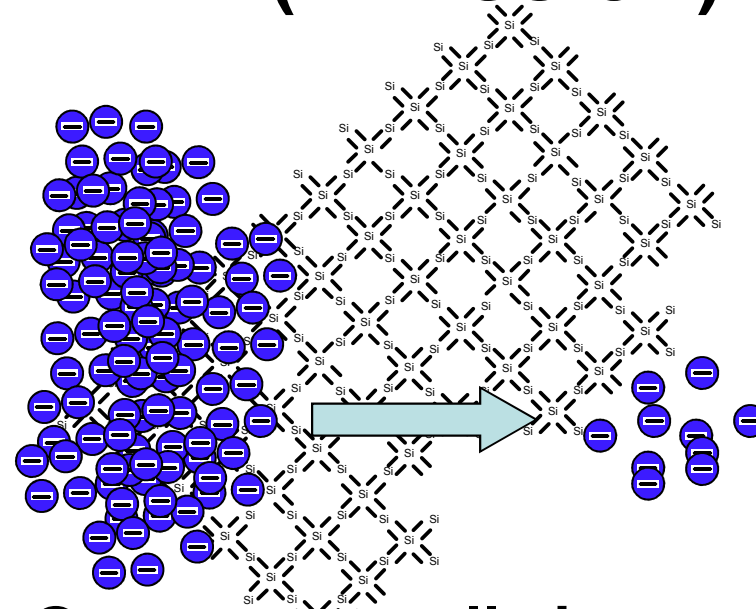
(Two mechanisms for Transport of Carriers in semiconductors)

Forced (DRIFT)



Occurs when an Electric Field is applied. Free charges gets drifted by the field

Natural (DIFFUSION)



Occurs naturally because free charges tend to move from regions with higher concentrations to regions with lower concentrations

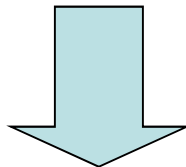
Electric Conduction Mechanisms

Transport of Carriers

**Forced
(DRIFT)**

**Natural
(DIFFUSION)**

We need some quantifications

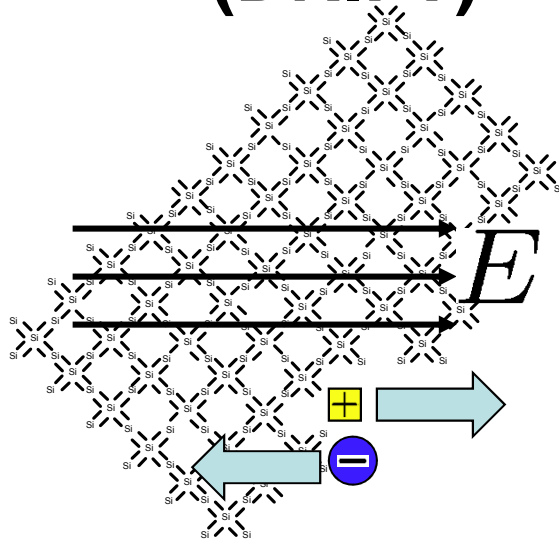


DRIFT First

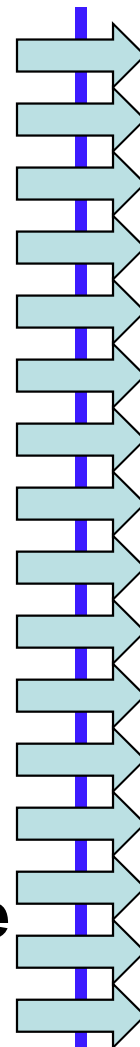
Electric Conduction Mechanisms

Transport of Carriers

Forced (DRIFT)



Occurs when an Electric Field is applied. Free charges gets drifted by the field



Velocity v of the free charge (electron/hole) is proportional to E

cm/sec	$v \propto E$	V/cm
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For hole \oplus $v_h = \mu_p E$

For electron \ominus $v_e = -\mu_n E$

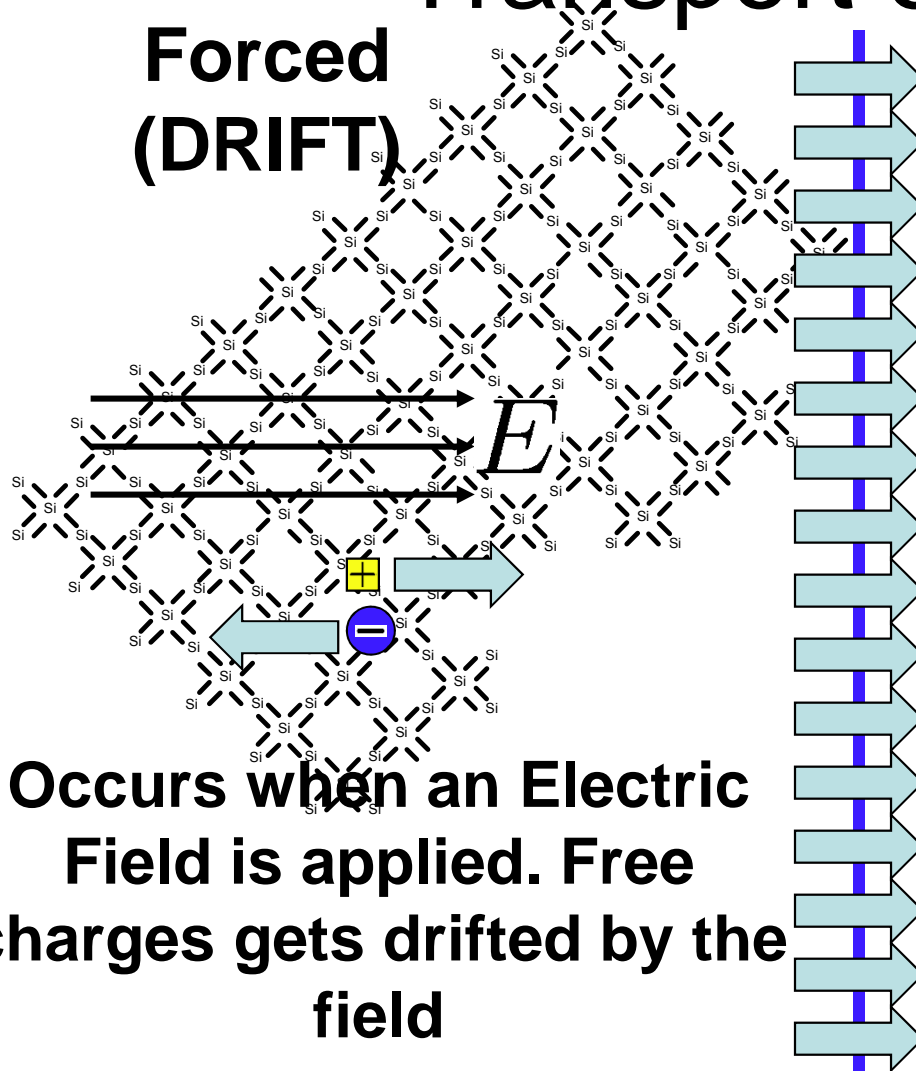
Negative sign is because, the electron moves opposite to the direction field.

μ_n, μ_p
 "mobility" constants of electrons and holes in $\text{cm}^2/(\text{V}\cdot\text{sec})$

Electric Conduction Mechanisms

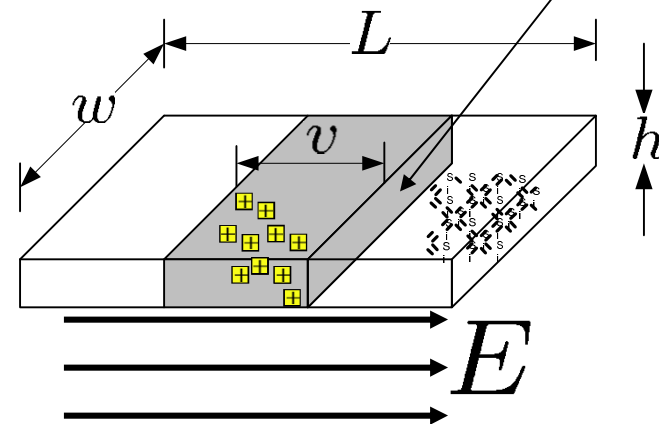
Transport of Carriers

**Forced
(DRIFT)**



Occurs when an Electric Field is applied. Free charges gets drifted by the field

In one second, all the free holes in this volume will cross this side



Number of free holes in this shaded volume =

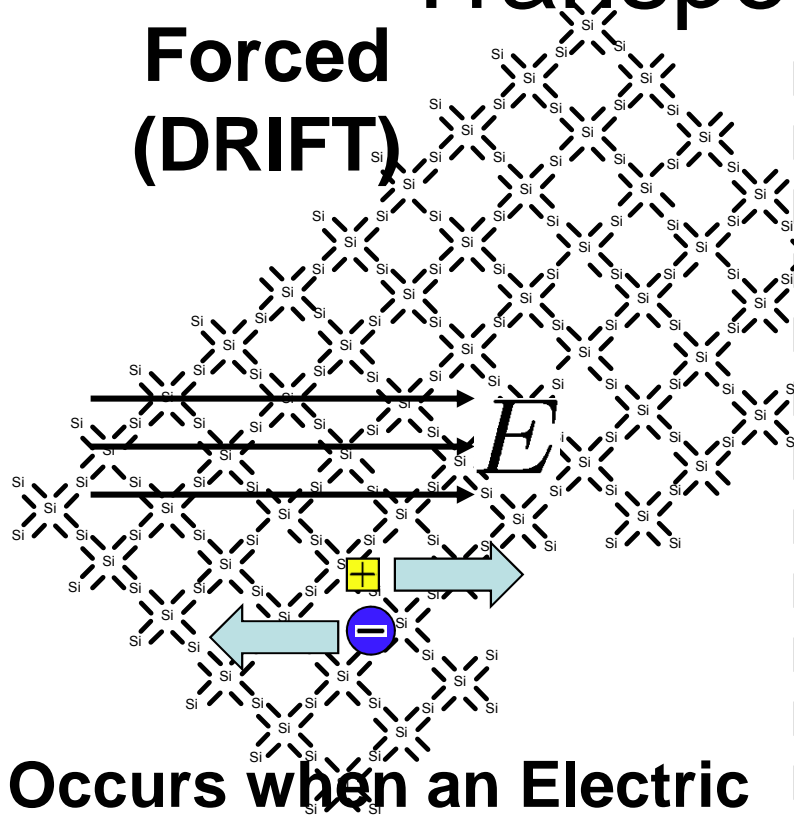
Density x Volume =

$$p \times (v \times h \times w)$$

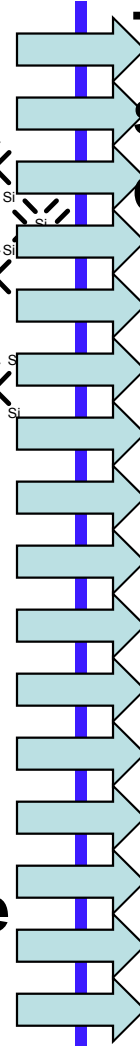
Electric Conduction Mechanisms

Transport of Carriers

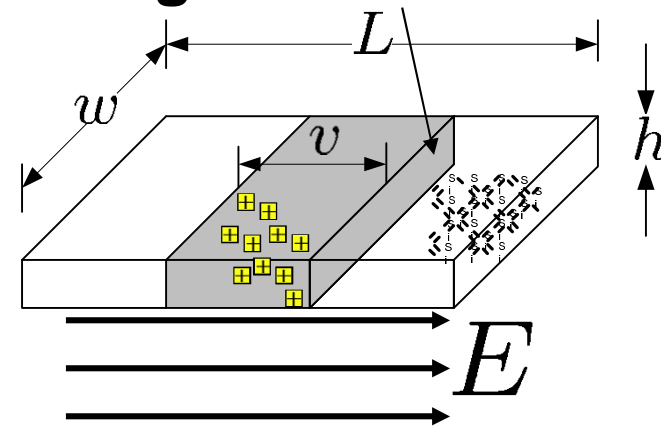
**Forced
(DRIFT)**



Occurs when an Electric Field is applied. Free charges gets drifted by the field



Thus, current crossing this side is the total charge crossing this side



I_p →

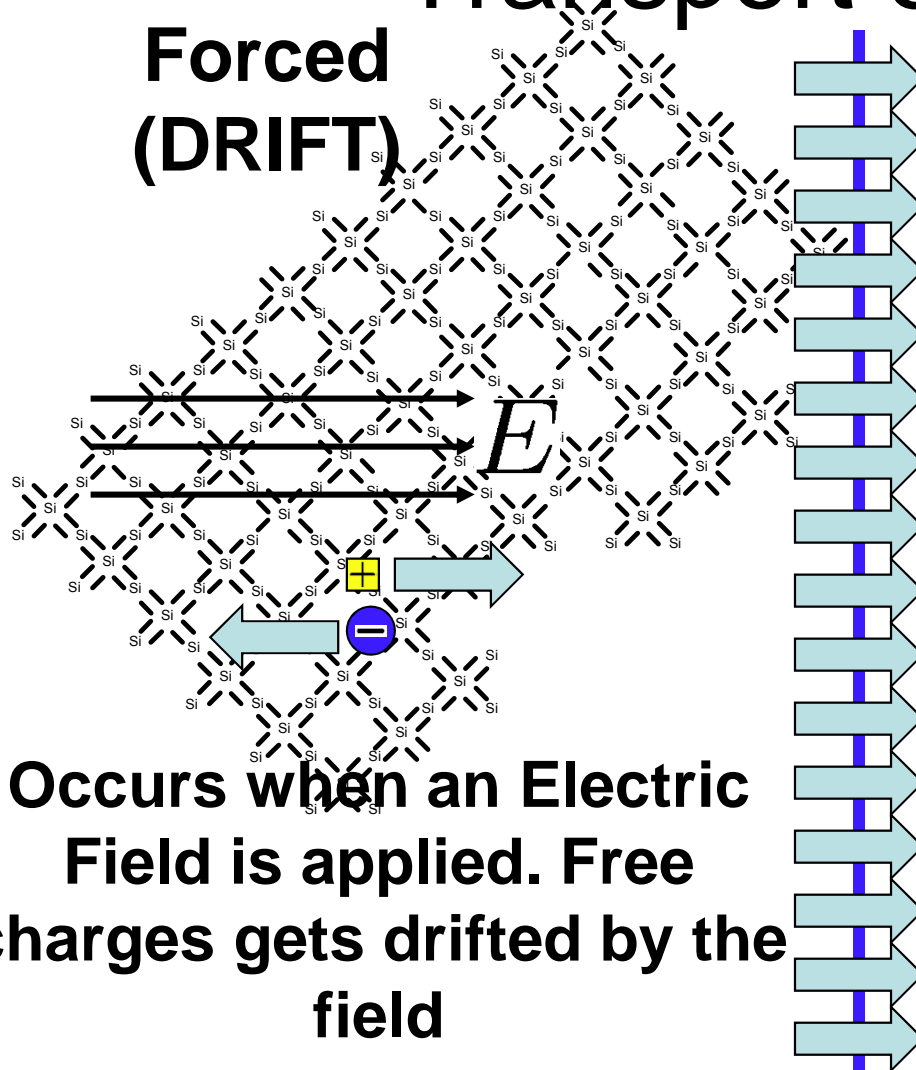
$$I_p = q \times p \times (v \times h \times w)$$

The charge of a single electron/hole

Electric Conduction Mechanisms

Transport of Carriers

**Forced
(DRIFT)**



Occurs when an Electric Field is applied. Free charges gets drifted by the field

Current density is better to work with than total current

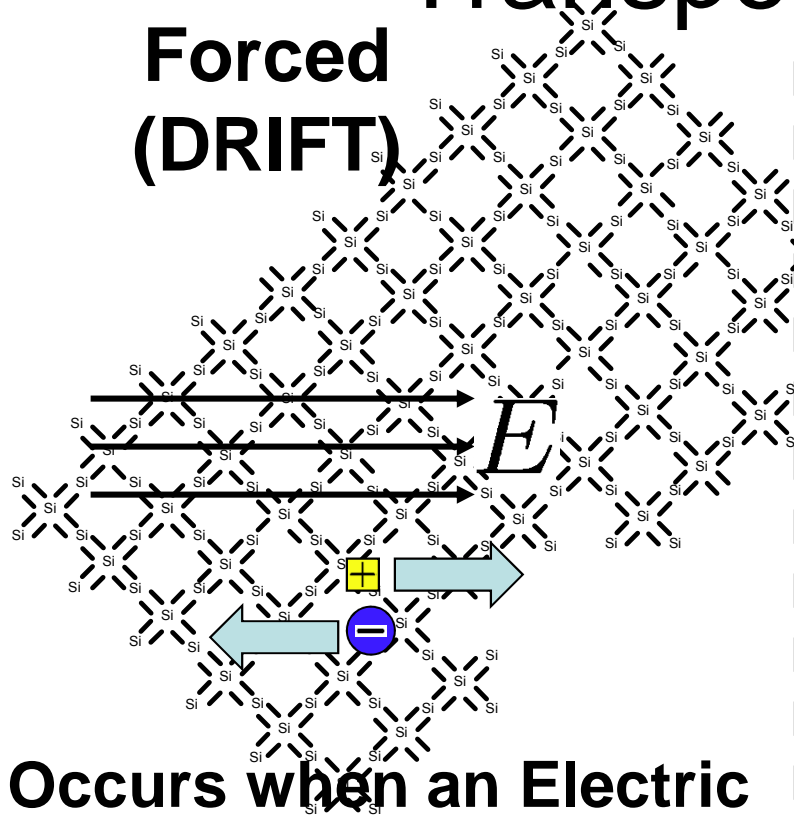
The current density is the total current per unit area

$$J = \frac{\text{total current}}{\text{Cross-sectional Area}}$$

Electric Conduction Mechanisms

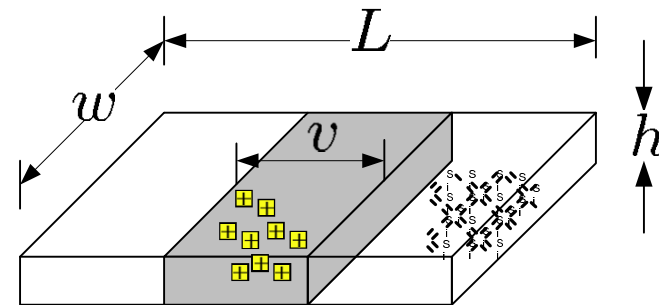
Transport of Carriers

**Forced
(DRIFT)**



Occurs when an Electric Field is applied. Free charges gets drifted by the field

$$I_p = q \times p \times (v \times h \times w)$$



$$J_p \rightarrow$$

Current density is the current crossing unit area

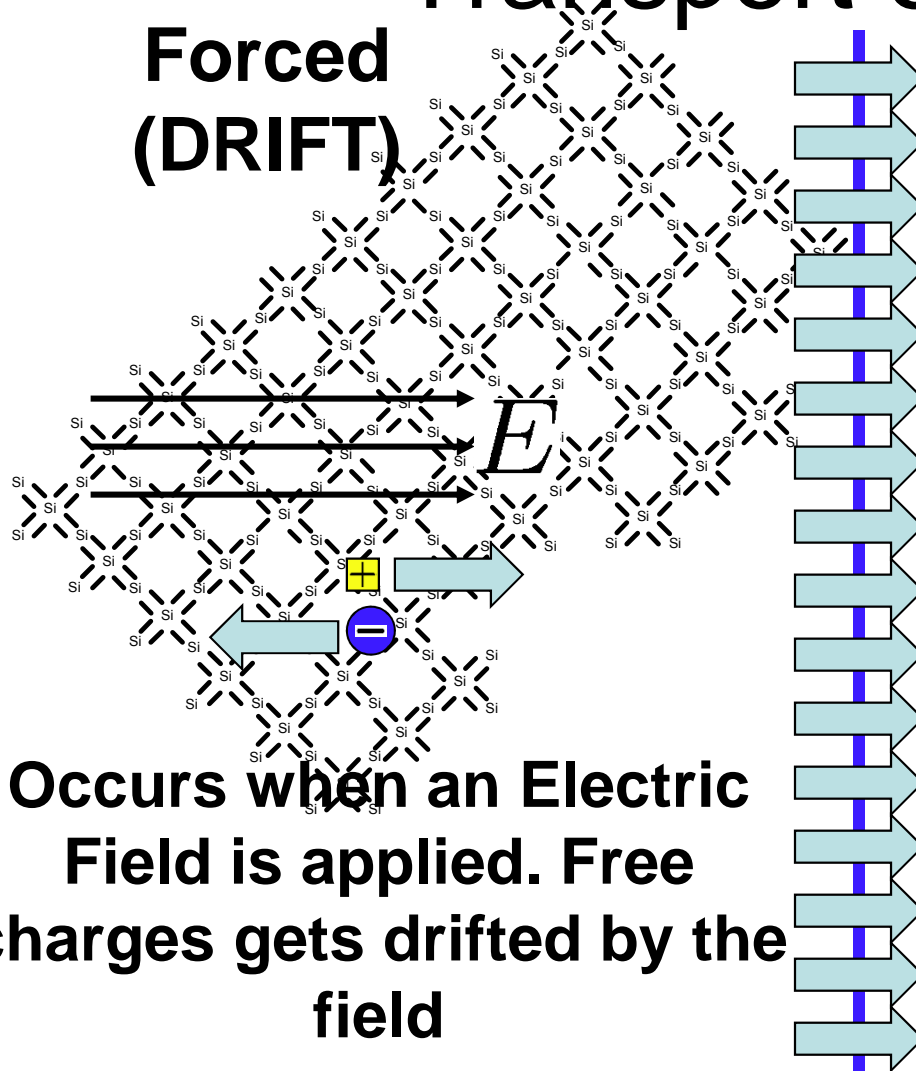
$$J_p = \frac{I_p}{\text{area}} = \frac{I_p}{hw}$$

$$J_p = qp v = \mu_p E \cdot q \cdot p$$

Electric Conduction Mechanisms

Transport of Carriers

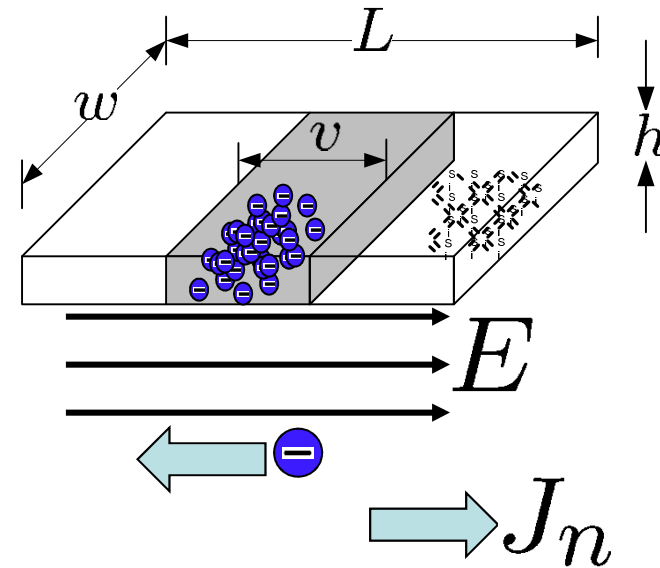
**Forced
(DRIFT)**



Occurs when an Electric Field is applied. Free charges gets drifted by the field

Similarly for electrons,

$$I_n = -q \times n \times (v \times h \times w)$$

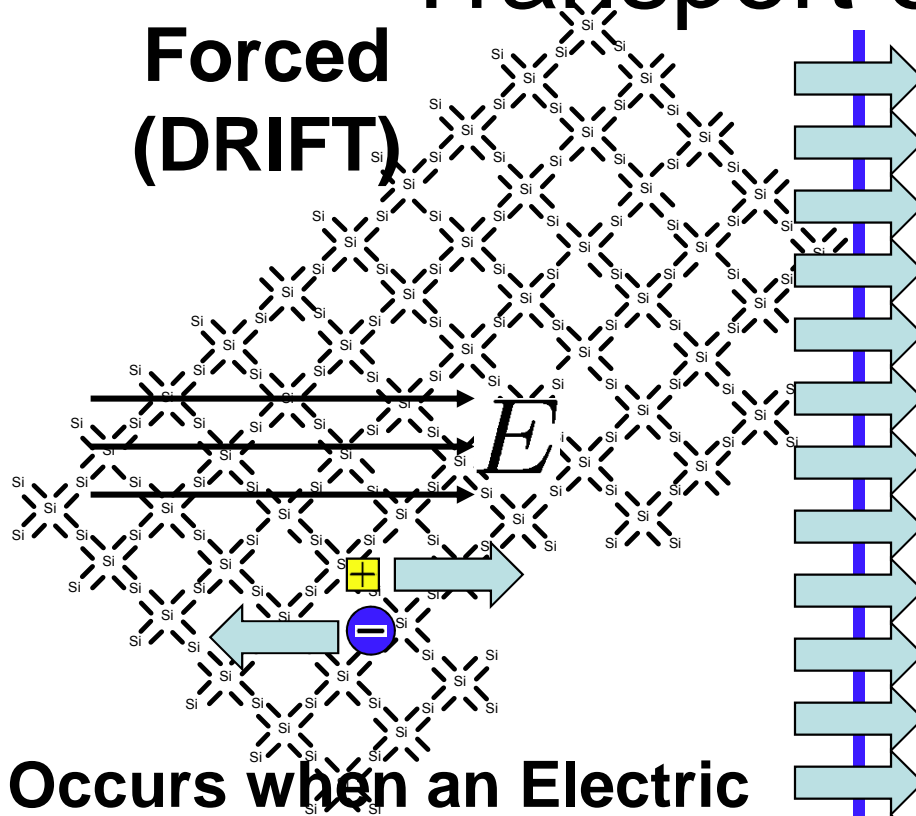


$$J_n = -qnv = \mu_n E \cdot q \cdot n$$

Electric Conduction Mechanisms

Transport of Carriers

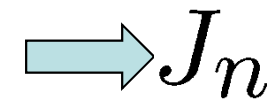
**Forced
(DRIFT)**



Occurs when an Electric Field is applied. Free charges gets drifted by the field

Thus total DRIFT current density

$$J_p = \mu_p E \cdot q \cdot p$$



$$J_n = \mu_n E \cdot q \cdot n$$

$$J_{\text{total}} = J_p + J_n$$

$$J_{\text{drift,tot}} = q (\mu_n n + \mu_p p) E$$

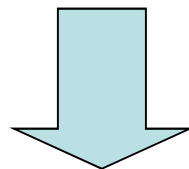
Electric Conduction Mechanisms

Transport of Carriers

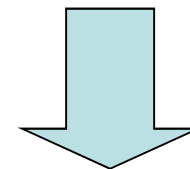
**Forced
(DRIFT)**

**Natural
(DIFFUSION)**

We need some quantifications



$$J_{\text{drift,tot}} = q (\mu_n n + \mu_p p) E$$

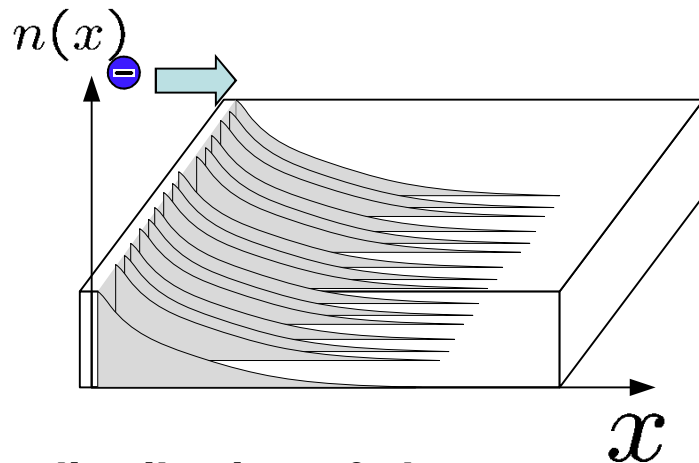


DIFFUSION
Second

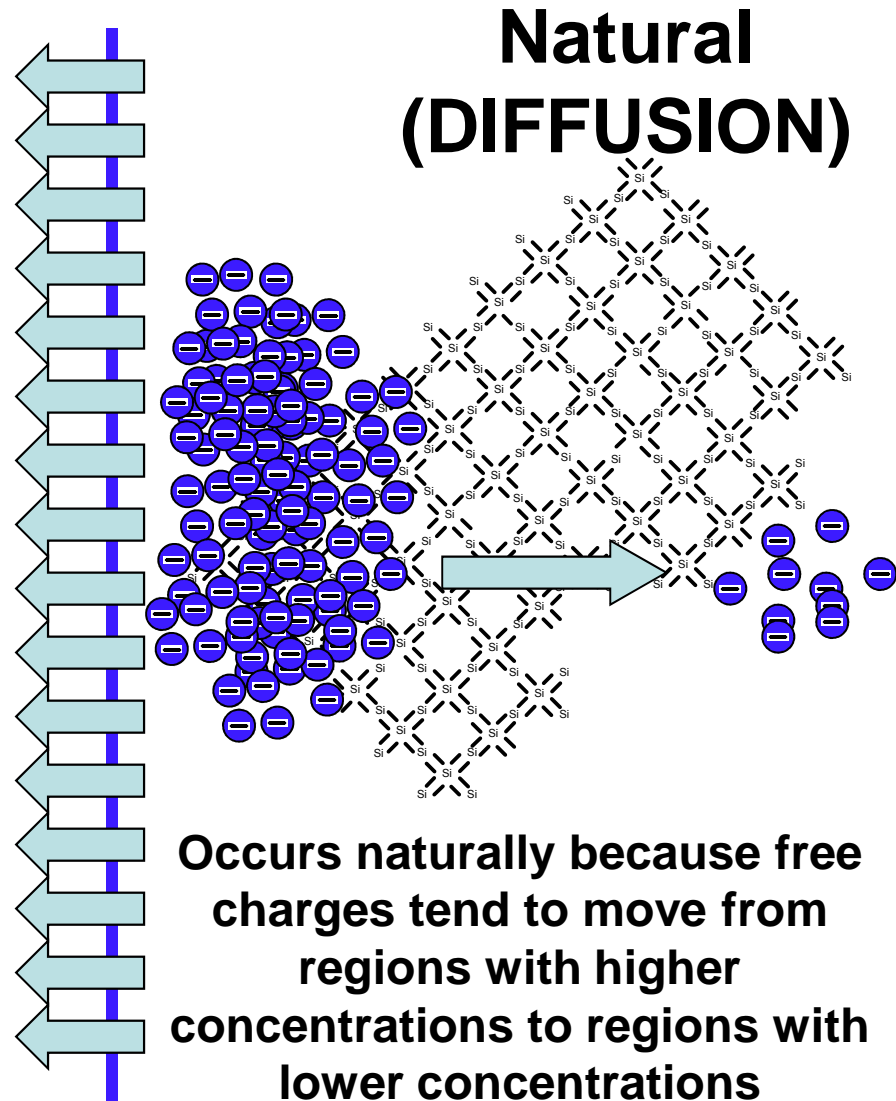
Electric Conduction Mechanisms

Transport of Carriers

Conduction by Diffusion happens when there is a nonuniform distribution of charge density along the spatial dimension of the crystal



The distribution of electrons versus the spatial dimension is nonuniform

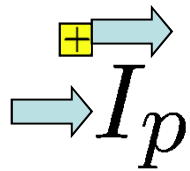


Electric Conduction Mechanisms

Transport of Carriers

Similarly for holes

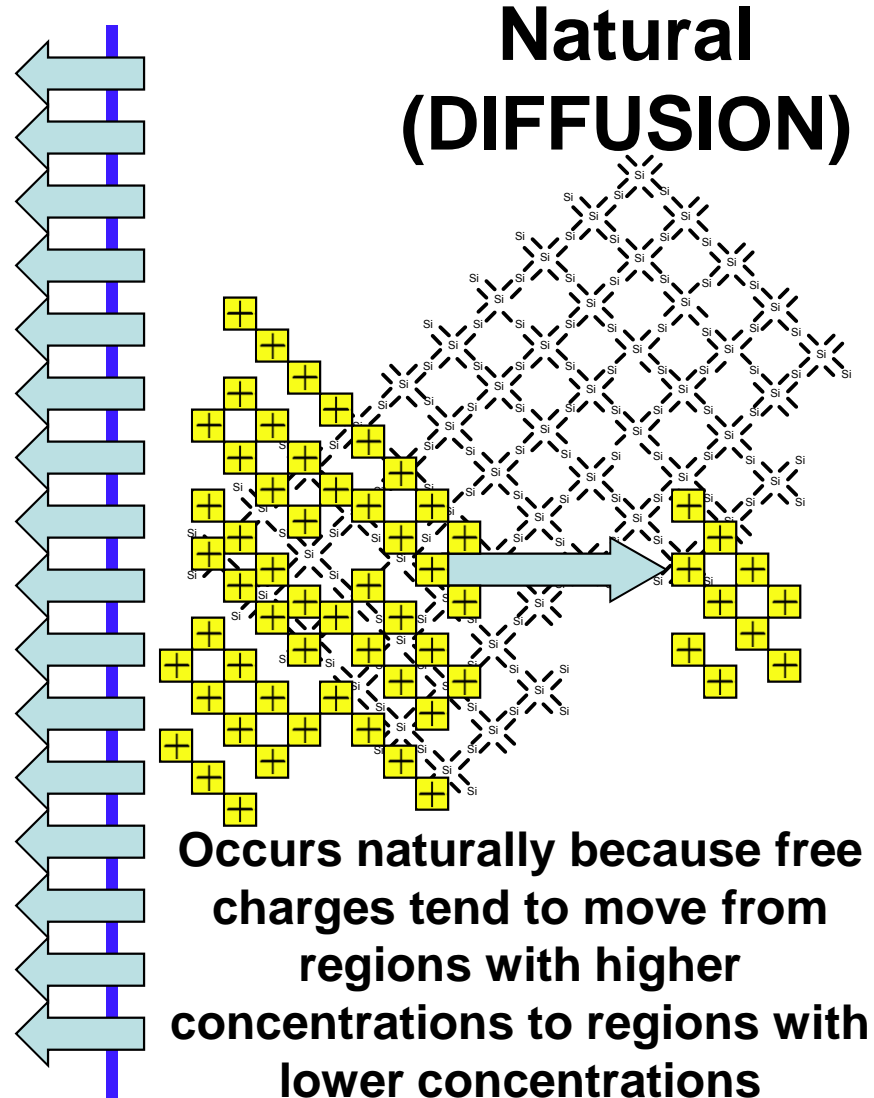
Proportionality factor
called the
"diffusion constant"



$$I_p = D_p A q \frac{dp(x)}{dx}$$

Current Density

$$J_p = D_p q \frac{dp(x)}{dx}$$



Electric Conduction Mechanisms

Transport of Carriers

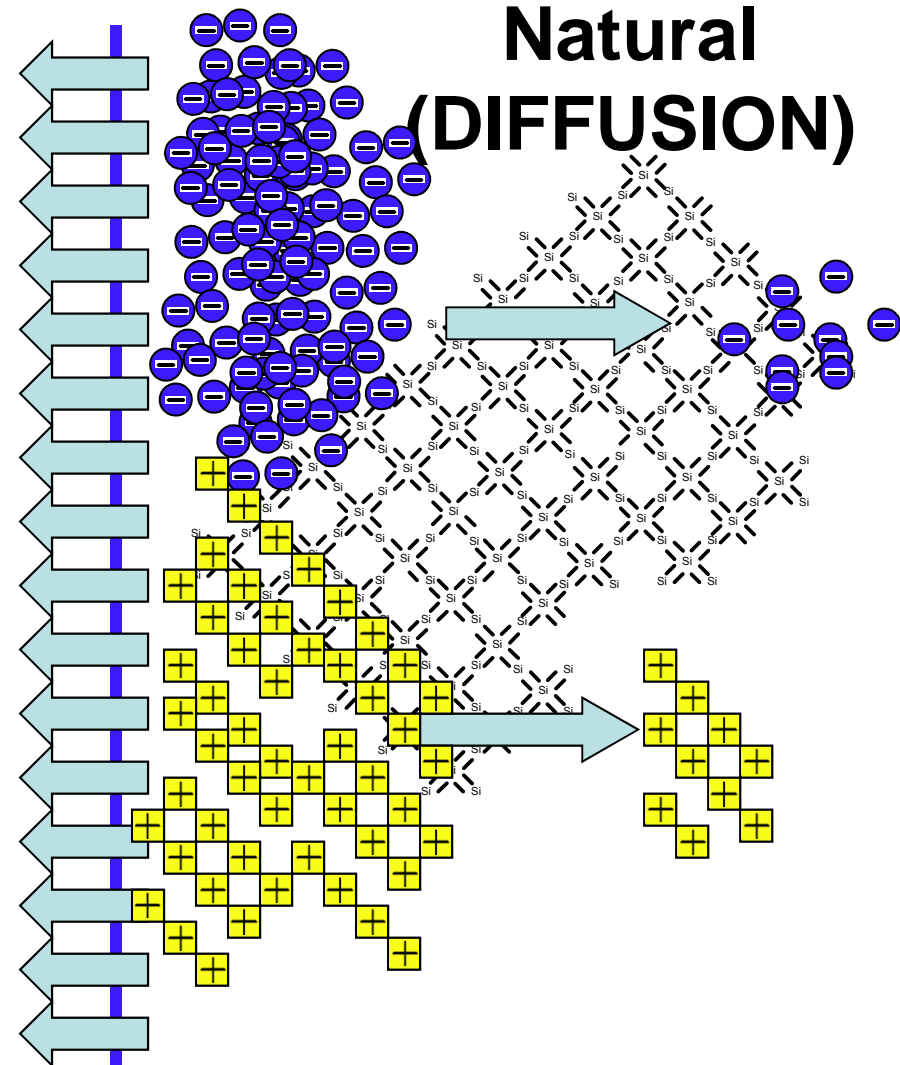
Total DIFFUSION Current

$$\rightarrow J_p = D_p q \frac{dp(x)}{dx}$$

$$\leftarrow J_n = D_n (-q) \frac{dn(x)}{dx}$$

$$\rightarrow J_{\text{total}} = J_p - J_n$$

$$J_{\text{total}} = q \left(D_n \frac{dn}{dx} + D_p \frac{dp}{dx} \right)$$



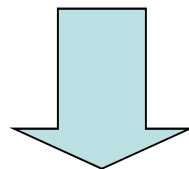
Electric Conduction Mechanisms

Transport of Carriers

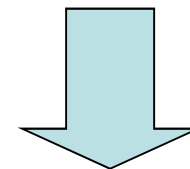
**Forced
(DRIFT)**

**Natural
(DIFFUSION)**

We need some quantifications



$$J_{\text{drift,tot}} = q (\mu_n n + \mu_p p) E$$

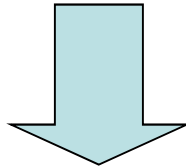


$$J_{\text{diff,tot}} = q \left(D_n \frac{dn}{dx} + D_p \frac{dp}{dx} \right)$$

Electric Conduction Mechanisms

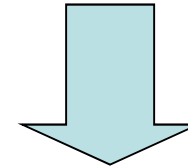
Transport of Carriers

**Forced
(DRIFT)**



$$J_{\text{drift,tot}} = q (\mu_n n + \mu_p p) E$$

**Natural
(DIFFUSION)**



$$J_{\text{diff,tot}} = q \left(D_n \frac{dn}{dx} + D_p \frac{dp}{dx} \right)$$

**The Einstein relation related the
two component**

$$\frac{D}{\mu} = \frac{kT}{q}$$